VECTOR MESONS IN COLD NUCLEAR MATTER

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- introduction/motivation
- the GiBUU transport model
- photoproduction of omega mesons on nuclei (CB/TAPS)
- dileptons from HADES:
 p + p @ 3.5 GeV
 - p + Nb @ 3.5 GeV
- summary



MOTIVATION: HADRONS IN MEDIUM

- how do vector mesons behave inside a hadronic medium?
- major prediction: mass shift
 ↔ (partial) restoration of chiral symmetry in medium
- Brown/Rho (eff. Lagrang. approach): $m_V^*(
 ho_0)/m_V pprox 0.8$
- Hatsuda/Lee (using QCD sum rules, neglecting width): $m_V^*(\rho)/m_V \approx 1 - \alpha(\rho/\rho_0)$, $\alpha \approx 0.16 \pm 0.06$
- mass shift ⇔ V-N potential ⇔ bound states?



V. Bernard, U.-G. Meissner / Vector and axial-vector mesons

- other effects: collisional broadening, resonance structures, ...
- collisional broadening (LDA): $\Gamma_{coll} = \rho < v_{rel}\sigma_{VN} >$ $\Leftrightarrow \text{ absorption}$
- extended sum-rule analysis by Leupold/Peters/Mosel, including finite width (NPA 628, 1998)
- coupling to resonances can introduce additional structures in the spectral function (Post, 2003)



THE GIBUU TRANSPORT MODEL

- semi-classical hadronic transport model
- unified framework for various types of reactions (*pA*, πA , γA , *eA*, νA , *AA*) and observables
- modular and well-documented Fortran code
- collaborative effort, SVN-based multi-user environment
- publicly available releases (open source)
- http://gibuu.physik.uni-giessen.de



GiBUU

The Giessen Boltzmann-Uehling-Uhlenbeck Project

THE BUU EQUATION

• BUU equation describes time evolution of phase space density $f_i(\vec{r}, t, \vec{p}, \mu)$ for each particle species i $(i = N, \Delta, \pi, \rho, ...)$:

 $\left(\partial_t + (\nabla_{\vec{p}}H_i)\nabla_{\vec{r}} - (\nabla_{\vec{r}}H_i)\nabla_{\vec{p}}\right)f_i(\vec{r}, t, \vec{p}, \mu) = I_{coll}[f_i, f_j, \ldots]$

- collision term *I_{coll}*:
 - depends on all $f_i \Rightarrow$ coupled-channel problem
 - decays and scattering processes (2- and 3-body)
 - low energy: resonance model
 - high energy: string model (PYTHIA)
- Hamiltonian *H_i*:
 - hadronic mean fields and potentials
 - "off-shell potential"
- model includes 61 baryons and 21 mesons
- solve numerically via test-particle method:

$$f = \sum_{i} \delta(\vec{r} - \vec{r}_{i}) \delta(p - p_{i})$$

MASS SHIFTS

incorporated as simple scalar potential

Collisional Broadening

- in medium: $\Gamma_{tot} = \Gamma_{vac} + \Gamma_{coll}$
- $\Gamma_{coll} = \rho \langle v_{rel} \sigma_{VN} \rangle$ (low density approx. in lab frame)
- contributing processes: $VN \rightarrow \pi N, \pi \pi N, R, ...$
- in practice: use $\Gamma_{coll}(\rho)$ [no momentum dependence]

OFF-SHELL TRANSPORT

- density-dependent spectral functions need to be handled consistently
- smooth transition from in-medium to vacuum distribution

Off-Shell Transport

off-shell EOM for test particles

[Cassing/Juchem (NPA 665, 2000), Leupold (NPA 672, 2000)]:

$$\begin{aligned} \dot{\vec{r}}_i &= \frac{1}{1-C_i} \frac{1}{2E_i} \left[2\vec{p}_i + \frac{\partial}{\partial \vec{p}_i} Re(\Sigma_i) + \chi_i \frac{\partial \Gamma_i}{\partial \vec{p}_i} \right] , \\ \dot{\vec{p}}_i &= -\frac{1}{1-C_i} \frac{1}{2E_i} \left[\frac{\partial}{\partial \vec{r}_i} Re(\Sigma_i) + \chi_i \frac{\partial \Gamma_i}{\partial \vec{r}_i} \right] , \\ C_i &= \frac{1}{2E_i} \left[\frac{\partial}{\partial E_i} Re(\Sigma_i) + \chi_i \frac{\partial \Gamma_i}{\partial E_i} \right] , \\ \chi_i &= \frac{m_i^2 - M^2}{\Gamma_i} = const. \end{aligned}$$

- incorporate density-dependent self energies Σ_i, Γ_i ~ Im(Σ_i)
- major difference to BUU model used by Mühlich (which relied on an old 'recipe' by Effenberger)

THE CB/TAPS DETECTOR

- $\gamma A \rightarrow \omega X \rightarrow \pi^0 \gamma X \rightarrow 3 \gamma X$
- Bremsstrahlung photon beam (tagged), $E_{\gamma} = 0.9 2.6 \, GeV$
- one setup at ELSA (Bonn), one at MAMI (Mainz)
- measure photon triples
 - ightarrow demand that two make up a π^0
 - ightarrow reconstruct ω mass
- mass resolution ~ 25*MeV*





CB/TAPS: EARLY RESULTS

Trnka et al., PRL 94, 2005:

- $m_{\omega}^* = 722 \text{ MeV}$
- $\Gamma^*_{\omega} = 55 \text{ MeV}$





$\pi^0 \gamma$ Spectrum: BUU simulations by P. Mühlich



K. Gallmeister, P. Mühlich et al., Prog. Part. Nucl. Phys. 61 (2008)

RECENT SIMULATIONS WITH GIBUU



- recent simulations show: effects do increase at threshold
- but: Mühlich tails not reproduced
- soon to be published [arXiv:1008.4520]

$\pi^0 \gamma$ Mass Spectrum: Comparison to Data





 \Rightarrow statistics not sufficient to distinguish different scenarios!

REASONS FOR WEAK SENSITIVITY

- long ω decay length [few decays in medium]
- strong broadening/absorption [smearing of in-medium peak]
- onuclear density profile [very few decays at full density]



THE HADES DETECTOR AT GSI

- "High Acceptance Di-Electron Spectrometer"
- pp, pA, AA $\rightarrow e^+e^-X$ \Rightarrow p+p@3.5GeV \Rightarrow p+Nb@3.5GeV
- ullet mass resolution: $\sim 15~{
 m MeV}$
- polar angle: $15^\circ < \theta < 85^\circ$
- opening angle cut: $\theta_{ee} > 9^{\circ}$





The Dilepton Cocktail

decay channels contributing to the dilepton spectrum:



other contributions:

- NN-Bremsstrahlung: $\textit{NN}
 ightarrow \textit{NN}e^+e^-$
- higher resonances?
- Bethe-Heitler process: $\gamma N \rightarrow Ne^+e^-$ (only in photoproduction)



ω Dalitz decay: $\omega \to \pi^0 e^+ e^-$

- inclusive ω production cross section fixed by $\omega \rightarrow e^+e^-$, BR($\omega \rightarrow e^+e^-$) well known (7.2 · 10⁻⁵)
- $\bullet \ \omega$ Dalitz branching also well known
- form factor fixed by NA60 data (Arnaldi et al., PLB 677)





- exp. upper limit (WASA, Berlowski et al., PRD 77, 2008): BR($\eta \rightarrow e^+e^-$) < 2.7 \cdot 10⁻⁵
- HADES might be able to push down this limit ...
- theor. prediction (Browder et al., PRD 56, 1997): BR $(\eta \rightarrow e^+e^-) \approx 10^{-9}$

P+P @ 3.5 GeV, mass spectrum



P+P @ 3.5 GeV, mass spectrum





$P+P @ 3.5 \text{ GeV}, p_T \text{ and rap. spectra}$



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Δ production cross sections



Δ Dalitz decay

• transition form factors $\Delta
ightarrow N\gamma^*$

- basically unknown in time-like region (no data)
- space-like region: data from electroproduction
- best available guess for time-like region:

two-component quark model (Wan/Iachello, IJMP A20, 2005) $F \sim (1 - \gamma e^{i heta} q^2)^{-2} \cdot F_{
ho}(q^2)$







P+P @ 3.5 GeV, p_T SPECTRA



transverse momentum pt [GeV]

PION OBSERVABLES

- pions are important for normalization
- can serve as a cross check for dilepton spectra
- GiBUU nicely describes inclusive pion data by HARP (Gallmeister, NPA 826, 2009)



- once we can reasonably describe p+p@3.5GeV: use p+p as a base line
- look for medium effects in p+Nb (at same incident energy)
- option #1: direct modification of mass spectrum (ρ?)
- option #2: transparency ratio / absorption (ω/ϕ ?)
- warning: p+p not described perfectly yet
- therefore: no hard conclusions on p+Nb possible at this point

P+NB@3.5 GeV, mass spectrum

vacuum spectral functions



P+NB@3.5 GeV, mass spectrum

collisional broadening



P+NB@3.5 GeV, mass spectrum

coll. broad. + mass shift (16%)



$P+NB@3.5 \text{ GeV}, p_T \text{ and } y \text{ Spectra}$



- VM properties in cold nuclear matter: a challenging problem!
- GiBUU: a valuable tool to study in-medium physics
- CB/TAPS: present data inconclusive, more statistics needed (MAMI!)
- HADES: we need to understand elementary reactions before we can make conclusions on p+A and A+A